

ç'u 4- y<sup>u</sup>nt cy D; k g<sup>u</sup>, d l e: i p<sup>u</sup>cdh; {k= dsyEcor-xfreku vlosk dh  
?wku vhoty<sup>u</sup>, oa i Fk dh f=T; k Kkr dlft, A

What is Lorentz force? Obtain the frequency of rotation and radius of path of a charge moving in an uniform magnetic field perpendicularly.

**OR**

, fei ; j dk fu; e fyf[k, rFkk fl ) dlft, A

State and prove Ampere's law.

ç'u 5- iks fVx I fn'k D; k g<sup>u</sup>; fn I wZ dh f=T; k  $7 \times 10^8$  elVj rFkk fodfjr  
Åtk<sup>u</sup>  $38 \times 10^{28}$  okV gksrksI wZdsi "B ij Åtk<sup>u</sup> pj.k iks fVx I fn'k dk  
eku Kkr dlft, A

What is Poynting vector? Radius of sun is  $7 \times 10^8$  m and energy radiated by it is  $38 \times 10^{28}$  Watts. Calculate the value of energy propagation Poynting vector on the surface of the sun.

**OR**

V<sup>u</sup> Qkej ds fl ) kr] dk; fo{k rFkk I jpu<sup>u</sup> I e>kb, A bl e<sup>u</sup> gus okys  
fofkuu Åtk<sup>u</sup> {k; crkb, A

Explain the principle, working and construction of the transformer. What are various types of energy losses in it?

---x---

**Code No. : S-154**

## Annual Examination - 2019

### B.Sc. Part - I

### PHYSICS

### Paper - II

## ELECTRICITY, MAGNETISM AND ELECTROMAGNETIC THEORY

Max.Marks : 50

Min.Marks : 17

Time : 3 Hrs.

Vhi % [k.M ^\* eanl vfry?ükjh izu g<sup>u</sup> ftUgsgy djuk vfuok; Zg<sup>u</sup> [k.M  
^c\* eay?ükjh ç'u ,oa[k.M '1 \* eanl?k mÜkjh ç'u g<sup>u</sup> [k.M ^\* dks  
I cl sigysgy dj<sup>u</sup>

Note : Section 'A', containing 10 very short-answer-type questions, is compulsory. Section 'B' consists of short-answer-type questions and Section 'C' consists of long-answer-type questions. Section 'A' has to be solved first.

### Section - 'A'

fueukdr vfry?ükjh ç'u ds mÜkj ,d ; k nks okD; k ea n<sup>u</sup>  
Answer the following very short-answer-type questions in one or two sentences. (1x10=10)

ç'u 1- ;fn I fn'k  $\vec{A}$  dk ifjek.k Ag<sup>u</sup> rc  $\vec{A} \cdot \vec{A}$   $\vec{A} \times \vec{A}$  dseku fyf[k, A

If magnitude of  $\vec{A}$  is A, then write the values of  $\vec{A} \cdot \vec{A}$  and  $\vec{A} \times \vec{A}$ .

ç'u 2- v?wkhZ {k= dk , d mnkgj.k nhft , A

Write an example of irrotational field.

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ç'u 3- os̄ r {k̄ Ē ē p̄ f̄}/kp̄ v̄ k̄ k̄ k̄ ō k̄ ȳ s̄ ō k̄ ȳ s̄ c̄ ȳ v̄ k̄ k̄ k̄ d̄ k̄  
0; atd̄ fyf[k, A]

Write the expression of torque acting on a electric dipole of dipole moment  
 $\vec{p}$  in a uniform electric field  $\vec{E}$ .

ç'u 4- ok; q̄ ā f̄ L̄ k̄ r̄ , d̄ k̄ d̄ /ku v̄ k̄ s̄ k̄ l̄ s̄ f̄ ū ȳ s̄ ō k̄ ȳ s̄ l̄ Ē ī w̄ z̄ fō |̄ P̄ ȳ D̄ d̄ ē k̄ ū  
fyf[k, A]

Write the value of the total electric flux emanating from a unit positive charge in air.

ç'u 5- Dykmf̄ ; I -ek̄ k̄ h̄ I ehdj.k̄ d̄ k̄ fyf[k, A]

Write down Clausius-Mosotti equation.

ç'u 6- fō |̄ P̄ ī d̄ Ÿ̄ k̄ d̄ k̄ ī f̄ H̄ k̄ f̄ k̄ r̄ d̄ h̄ f̄ t̄ , A

Define electric susceptibility.

ç'u 7- LFk̄; h̄ /k̄ j̄ k̄ d̄ s̄ f̄ ȳ; s̄ l̄ k̄ R̄; I ehdj.k̄ fyf[k, A]

Write the equation of continuity for steady current.

ç'u 8- p̄ f̄ c̄ d̄ R̄ ō r̄ h̄ ō k̄ M̄ d̄ h̄ ī f̄ H̄ k̄ k̄ n̄ h̄ f̄ t̄ , A

Define the intensity of Magnetisation.

ç'u 9- ē D̄ r̄ v̄ k̄ d̄ k̄ ē s̄ D̄ l̄ ō ȳ d̄ s̄ l̄ ehdj.k̄ D̄; k̄ ḡ k̄

Write Maxwell's equations for free space.

ç'u 10- ī k̄ w̄ f̄ Ū V̄ x̄ ī es̄ d̄ k̄ H̄ k̄ f̄ r̄ d̄ ē ḡ R̄ D̄; k̄ ḡ k̄  
What is physical significance of Poynting theorem?

### Section - 'B'

fū k̄ ū d̄ r̄ ȳ ?̄ k̄ m̄ Ÿ̄ k̄ j̄; ç'ū k̄ d̄ s̄ m̄ Ÿ̄ k̄ 150&200 'k̄ n̄ Ī h̄ ē n̄ ā

Answer the following short-answer-type questions with word limit 150-200  
(3x5=15)

ç'u 1- fdl̄ h̄ f̄ L̄ k̄ r̄ Ī f̄ n̄ k̄  $\vec{r} = x\hat{i} + y\hat{j} + z\hat{k}$  gr̄ f̄ l̄ ) d̄ h̄ f̄ t̄ , %div grad  $\left(\frac{1}{r}\right) = 0$

For a position vector  $\vec{r} = x\hat{i} + y\hat{j} + z\hat{k}$ , prove that  $\text{div grad } \left(\frac{1}{r}\right) = 0$

OR

fl̄ ) d̄ h̄ f̄ t̄ , %curl( $\phi \vec{A}$ ) =  $\phi \text{curl } \vec{A} - \vec{A} \times \text{grad} \phi$

tḡ k̄  $\phi$  v̄ f̄ n̄ k̄ {k̄ r̄ Fk̄ k̄ Ā Ī f̄ n̄ k̄ {k̄ ḡ k̄

Prove that:  $\text{curl}(\phi \vec{A}) = \phi \text{curl } \vec{A} - \vec{A} \times \text{grad} \phi$

where  $\phi$  is a scalar field and  $\vec{A}$  is a vector field.

ç'u 2- fō |̄ P̄ {k̄ ē ā f̄ L̄ k̄ r̄ f̄ }/kp̄ d̄ h̄ f̄ L̄ k̄ f̄ r̄ t̄ Å̄ t̄ k̄ d̄ k̄ ē k̄ l̄ r̄ f̄ t̄ , Ā L̄ k̄ f̄ k̄ h̄  
Ī r̄ ȳ ū d̄ h̄ f̄ L̄ k̄ f̄ r̄] ē k̄ ū d̄ h̄ f̄ L̄ k̄ f̄ r̄ , ō ā v̄ L̄ k̄ k̄; h̄ Ī r̄ ȳ ū d̄ h̄ f̄ L̄ k̄ f̄ r̄ Ī ē k̄ b̄ , Ā

Find the value of potential energy of an electric dipole in an electric field.  
Explain stable equilibrium state, standard state and unstable state.

OR

, d̄ Ī ē: ī v̄ k̄ ō f̄ k̄ r̄ x̄ k̄ ȳ s̄ d̄ s̄ v̄ l̄ n̄ j̄ c̄ k̄ ḡ j̄ , ō ā l̄ r̄ ḡ ī j̄ f̄ L̄ k̄ r̄ f̄ c̄ l̄ n̄ ȳ k̄ ī j̄  
fō |̄ P̄ {k̄ d̄ h̄ r̄ h̄ ō k̄ d̄ h̄ x̄ k̄ ū k̄ x̄ k̄ w̄ ī es̄ d̄ h̄ l̄ ḡ k̄ r̄ k̄ l̄ s̄ d̄ h̄ f̄ t̄ , Ā

Using Gauss theorem, calculate the intensity of electric field due to an uniformly charged sphere at a point inside, outside and on the surface.

ç'u 3- fō L̄ k̄ k̄ ī ū Ī f̄ n̄ k̄  $\vec{D}$  ī f̄ .k̄ k̄ ē h̄ fō |̄ P̄ {k̄  $\vec{E}$  , ō ā /kp̄ k̄ Ī k̄ f̄ n̄ k̄  $\vec{P}$  d̄ h̄ 0; k̄ ; k̄  
d̄ j̄ r̄ s̄ ḡ b̄ ū ē s̄ l̄ c̄ k̄ L̄ k̄ f̄ r̄ d̄ h̄ f̄ t̄ , Ā

Explain the terms displacement vector  $\vec{D}$ , resultant electric field  $\vec{E}$  and polarization vector  $\vec{P}$  and establish a relation between them.

OR

Ī ē k̄ ū r̄ j̄ v̄ ū k̄ n̄ h̄ ī f̄ j̄ ī Fk̄ D̄; k̄ ḡ k̄ b̄ l̄ ī f̄ j̄ ī Fk̄ d̄ h̄ v̄ ū k̄ n̄ h̄ v̄ k̄ ō Ÿ̄ k̄ ī f̄ r̄ c̄ k̄ k̄  
r̄ Fk̄ k̄ /k̄ j̄ k̄ ī d̄ h̄ ō k̄ d̄ s̄ f̄ ȳ , 0; atd̄ K̄ k̄ r̄ d̄ h̄ f̄ t̄ , Ā

What is parallel resonant circuit? Obtain expressions for the resonant frequency, impedance and current magnification for the circuit.

P.T.O.

**OR**

xW-MkbotII ies dk dFku fy[kdj fl) dhft, A

State and prove Gauss's divergence theorem.

ç'u 2- fo | r folko D; k gA fo | r f} /p dsdkj .k fo | r folko dk 0; atd ikr dhft, A

What is electrical potential? Obtain an expression for electrical potential due to electric dipole.

**OR**

x - vAk ij vuUr vkosk iR; d q dy] Øe'k% x = 1, 2, 4, 8 -----  
ehVj ij j [kgA x = 0 ij fo | r {s dh x.kuk dhft, A

At infinite charges, each  $q$  coulomb, are placed on  $x$  - axis at  $x = 1, 2, 4, 8$  ----- meter respectively. Calculate the electric field at  $x = 0$ .

ç'u 3- , d L R ifjiFk ea/kjk vi usvfure LFkk; h eku dk , d frgkbZeku 5  
I d.M ea ikr djrh gA bl ifjiFk dk le; fu; rk dk eku Kkr dhft, A

In an L R circuit the current attains one third of its final steady value in 5 sec. What is the time constant of the circuit?

**OR**

iR; korh /kjk ifjiFk ea vks r 0; 'kfDr ds fy, 0; atd 0; illu dhft, A

Derive an expression for average power consumed in an A.C. circuit.

ç'u 4- fl ) dhft, %  $\vec{J}_{bound}$  = curl  $\vec{M}$   
tgk I dsks ds vFk I kekU; gA

Show that:  $\vec{J}_{bound} = \text{curl } \vec{M}$

where all symbols have their usual meaning.

P.T.O.

**OR**

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State and prove Gauss's divergence theorem.

ç'u 2- fo | r folko D; k gA fo | r f} /p dsdkj .k fo | r folko dk 0; atd ikr dhft, A

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ç'u 3- , d L R ifjiFk ea/kjk vi usvfure LFkk; h eku dk , d frgkbZeku 5  
I d.M ea ikr djrh gA bl ifjiFk dk le; fu; rk dk eku Kkr dhft, A

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where all symbols have their usual meaning.

P.T.O.

**OR**

fdI h pficfdr inkFkZ ds , d VpM<sup>2</sup> dk pfcdh; v k?kwkZ 0-9 , fEi ; j ehVj<sup>2</sup> gA VpM<sup>2</sup> dk æ0; eku 0-24 fdxt rFk VpM<sup>2</sup> ds inkFkZ dk ?kuRo  
 $8 \times 10^3$  fdxt@ehVj<sup>3</sup> gA pfcds rhork Kkr dhft , A

The magnetic moment of a piece of magnetised substance is 0.9 Am<sup>2</sup>. The mass of piece is 0.24 kg and density of its substance is  $8 \times 10^3$  kg/m<sup>3</sup>. Find the intensity of magnetisation.

ç'u 5- eDI oy dsI ehaj.kkak mi ; kx djds/kjk-vkosk dsI krR; I ehaj.k  
 dksLFkkfir dhft , A

Obtain equation of continuity for current-charge from Maxwell's equations of electromagnetic field.

**OR**

fLFkj rFk I e; ifjorl{ks-kadsfy, I ekdyu : i rFk vodyu : i  
 eæDI oy I ehaj.kkak ds fyf[k, A

Write down Maxwell's equations in integral and differential form for static and time varying fields.

**Section - 'C'**

**fuEukfdr nkW mYkj;** ç'uks ds mYkj 300&350 'kn I hek eana

Answer the following long-answer-type questions with  
 word limit 300-350  
 (5x5=25)

ç'u 1- fdI h vfn'k {ks ds xSM, .V I sD; k rkri ; Zg fl ) dhft , fd %

$$\vec{\nabla} \phi = \frac{\partial \phi}{\partial n} \hat{n} ] \text{ tgk } I \text{ ds } vFk I \text{ kekU; gA}$$

What is meant by Gradient of a scalar field? Prove that :

$$\vec{\nabla} \phi = \frac{\partial \phi}{\partial n} \hat{n}, \text{ where the symbols have their usual meaning.}$$

**OR**

fdI h pficfdr inkFkZ ds , d VpM<sup>2</sup> dk pfcdh; v k?kwkZ 0-9 , fEi ; j ehVj<sup>2</sup> gA VpM<sup>2</sup> dk æ0; eku 0-24 fdxt rFk VpM<sup>2</sup> ds inkFkZ dk ?kuRo  
 $8 \times 10^3$  fdxt@ehVj<sup>3</sup> gA pfcds rhork Kkr dhft , A

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**OR**

fLFkj rFk I e; ifjorl{ks-kadsfy, I ekdyu : i rFk vodyu : i  
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What is meant by Gradient of a scalar field? Prove that :

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